

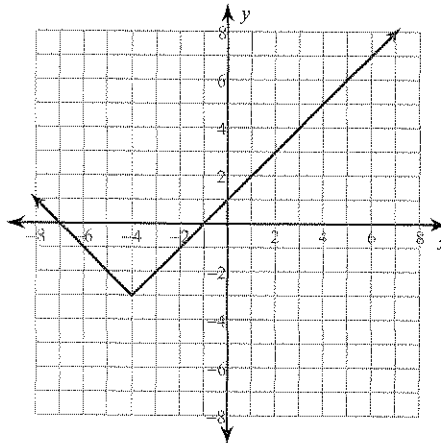
Identify, Graph, and Transform Quadratics Review

Determine if each problem is a quadratic. If not, identify which type of function it represents.

1) $3x^2 + 4x = 5 + y$

yes, quadratic

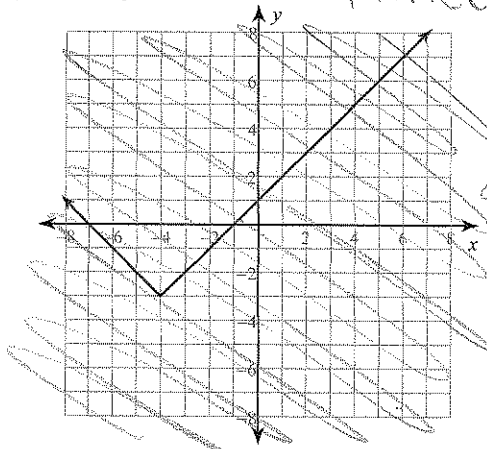
2)



no, absolute value

3) $4x - 6y = 12$

no, linear



graph should not be here 😊

4) $f(x) = x^3 + 2x^2 - x + 7$

no, cubic

5)

x	y
-2	5
-1	9
0	13
1	17
2	21

no, linear

+1 (

-2	5
-1	9
0	13
1	17
2	21

) +4

6)

x	y
-2	-8
-1	-2
0	0
1	-2
2	-8

yes, quadratic

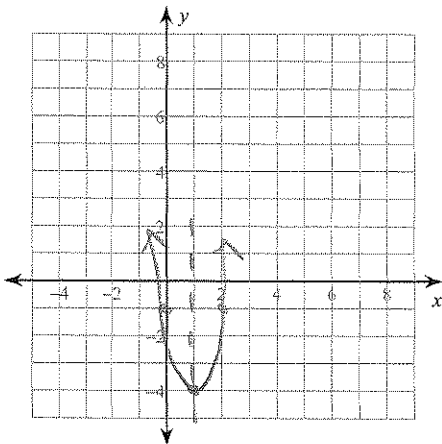
+1 (

-2	-8
-1	-2
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) +6) +4) +4) +4) +4

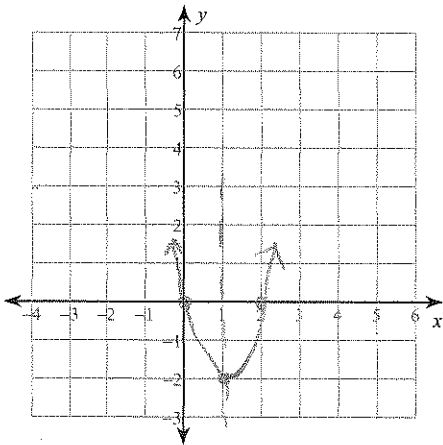
For each function, a) determine if the graph opens up or down, b) find the vertex, c) find the y-intercept, d) find the minimum or maximum value, e) find the domain and range and f) graph the function.

7) $y = 3x^2 - 6x - 1$



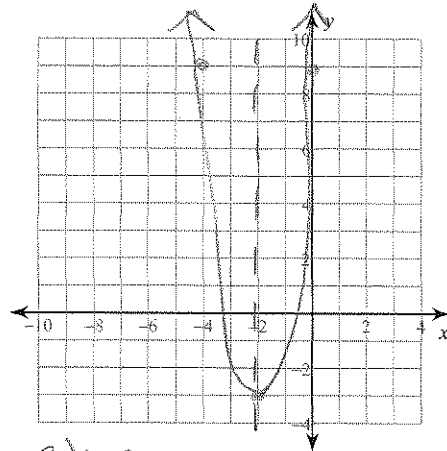
- a) up
 b) $\frac{-(-6)}{2(3)} = \frac{6}{6} = 1$ $\boxed{(1, -4)}$
 $3(1)^2 - 6(1) - 1 = -4$
 c) y-int = -1
 d) min = -4
 e) D: $x \in \mathbb{R}$, R: $y \geq -4$

9) $f(x) = 2x^2 - 4x$



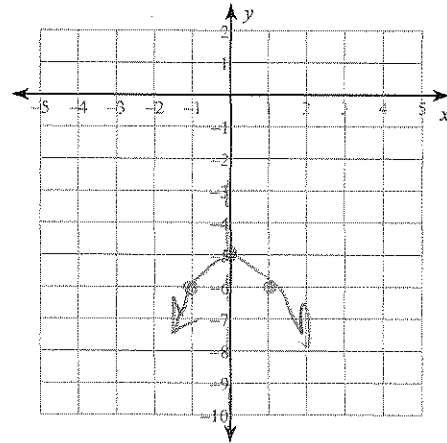
- a) up
 b) $\frac{-(-4)}{2(2)} = \frac{4}{4} = 1$ $\boxed{(1, -2)}$
 $2(1)^2 - 4(1) = -2$
 c) y-int = 0
 d) min = -2
 e) D: $x \in \mathbb{R}$
 R: $y \geq -2$

8) $y = 3x^2 + 12x + 9$



- a) up
 b) $\frac{-12}{2(3)} = \frac{-12}{6} = -2$ $\boxed{(-2, -3)}$
 $3(-2)^2 + 12(-2) + 9 = -3$
 c) y-int = 9
 d) min = -3
 e) D: $x \in \mathbb{R}$
 R: $y \geq -3$

10) $f(x) = -x^2 - 5$



- a) down
 b) $\frac{-0}{2(-1)} = 0$ $\boxed{(0, -5)}$
 $-(0)^2 - 5 = -5$
 c) y-int = -5
 d) max = -5
 e) D: $x \in \mathbb{R}$
 R: $y \leq -5$

x	y	(x, y)
1	-6	(1, -6)

Describe each transformation.

11) $y = 3(x - 5)^2 + 2$ (narrow)
Open up, stretched by 3, vertex @ (5, 2)

12) $f(x) = -\frac{1}{2}(x + 6)^2 - 4$ (wide)
Open down, compressed by $\frac{1}{2}$, vertex @ (-6, -4)

13) $f(x) = (x - 1)^2$
Open up, normal vertex @ (1, 0)

14) $f(x) = -4(x + 2)^2 - 8$ (narrow)
Open down, stretched by 4, vertex @ (-2, -8)

Write an equation to represent the transformation.

15) opening down, narrow, vertex at (4, 7)

$$y = -2(x - 4)^2 + 7$$

16) opening up, normal, shifted left 2 and down 9

$$y = (x + 2)^2 - 9$$

17) opening up, compressed by a factor of $\frac{1}{3}$, shifted right 3 and up 6

$$y = \frac{1}{3}(x - 3)^2 + 6$$

18) opening down, stretched by a factor of 8, vertex at (0, -1)

$$y = -8(x - 0)^2 - 1$$